- 1. Course number and name ENGR 451: Digital Signal Processing
- Credits and contact hours
 3 credit hours; three 50-minute lecture sessions/week, or two 1-hr-15-minute lecture sessions/week, depending on semester
- Instructor's or course coordinator's name
 Instructor: Tom Holton, Ph.D.
 Course coordinator: Tom Holton, Professor of Electrical and Computer Engineering
- 4. Text book, title, author, and year Holton, T. Digital Signal Processing Course Notes: www.sfsu.edu/~ee/451
 - *a. Other supplemental materials* References:
 - Oppenheim, A.V., Schafer, R.W. and Buck, J.R. (2010): Discrete-time Signal Processing, 3rd Edition. Prentice-Hall.
 - Ifeachor, E.C. and Jervis, B.W. (2001): Digital Signal Processing: A Practical Approach, 2nd Edition. Addison-Wesley.
 - Mitra, S. K. (2010): Digital Signal Processing: A Computer-Based Approach. 4rd ed. McGraw-Hill.
 - Proakis, J.G. and Manolakis, D.G. (2006): Digital Signal Processing, 4th Edition. Macmillan.
- 5. Specific course information
 - a. Brief description of the content of the course (catalog description)
 - Properties of linear time-invariant systems. Convolution. Linear constant-coefficient difference
 equations. Frequency-domain representation of discrete-time signals. Discrete Fourier series and
 transform. Sampling and reconstruction of analog signals: aliasing, upsampling and downsampling. ztransforms and inverse z-transforms. Design and implementation of FIR and IIR filters. Minimumphase, maximum-phase and all-pass systems. Discrete Fourier series and transform. Fast Fourier
 transform algorithms. Circular convolution. Applications in sound and image processing. Required
 laboratory with computer simulations using Matlab.
 - b. Prerequisites or co-requisites
 ENGR 305 (Systems Analysis); ENGR 213 (Introduction to C Programming for Engineers) or CSC 210 (Introduction to Computer Programming) or
 ENGR 290 (Matlab), all with grades of C- or better.
 - c. Indicate whether a required, elective, or selected elective course in the program Required for Electrical Engineering Required for Computer Engineering
- 6. Specific goals for the course
 - a. Specific outcomes of instruction, ex. The student will be able to explain the significance of current research about a particular topic.
 - The student will demonstrate the ability to analyze discrete-time systems to determine their linearity, time invariance, causality and stability.
 - The student will demonstrate the ability to perform convolution.

- The student will demonstrate the ability to determine the frequency response of a discrete-time system.
- The student will demonstrate the ability to determine the impulse response of a discrete-time system.
- The student will demonstrate the ability to design and analyze sampled-data systems.
- The student will demonstrate the ability to analyze discrete-time upsampling and downsampling systems.
- The student will demonstrate the ability to compute z-transforms, inverse transforms and regions of convergence.
- The student will demonstrate the ability to determine the block-diagram representation of FIR and IIR systems from z-transform, impulse response or difference equations.
- The student will demonstrate the ability to design IIR discrete-time filters based on analog filters.
- The student will demonstrate a knowledge of circular correlation and fast Fourier transforms.
- The student will design, debug and test MATLAB algorithms to carry out design and analysis of specified discrete-time problems.
- b. Explicitly indicate which of the student outcomes listed in Criterion 3 or any other outcomes are addressed by the course.

Course addresses ABET Student Outcome(s): a, c, e, k.

- 7. Brief list of topics to be covered
 - Introduce basic concepts of discrete-time signals and systems.
 - Properties of linearity, time-invariant systems
 - Convolution
 - Discrete Fourier transform
 - FIR and IIR filters
 - Sampling of continuous-time signals (A/D and D/A)
 - Upsampling/Downsampling
 - z-Transform
 - Structures of discrete-time filters
 - Discrete Fourier Transform (DFT)
 - Fast Fourier transform (FFT)
 - Circular convolution